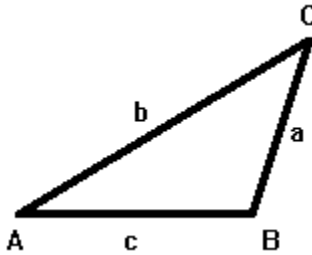
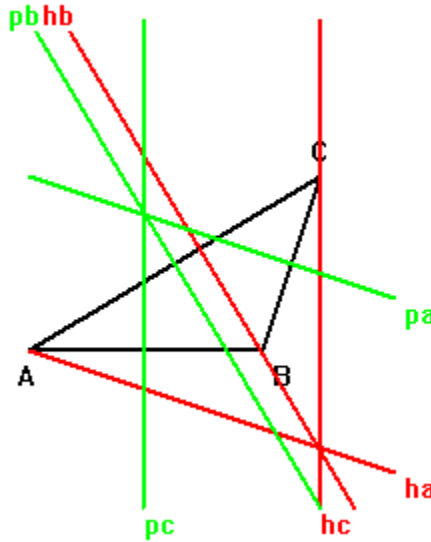


## G • Three Triangles

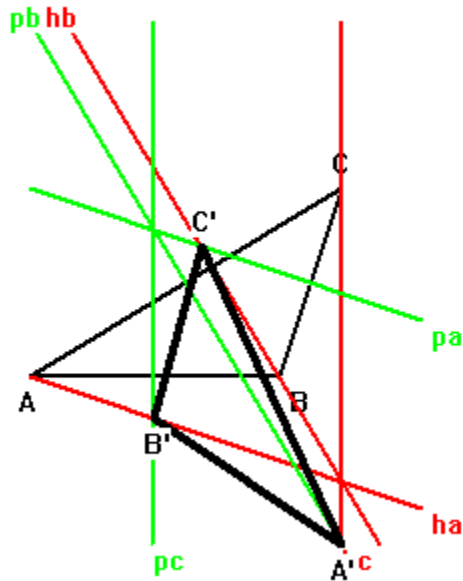
Starting with a  $\triangle ABC$  with vertices **A**, **B**, **C** and sides **a**, **b**, **c** opposite **A**, **B**, **C**, respectively:



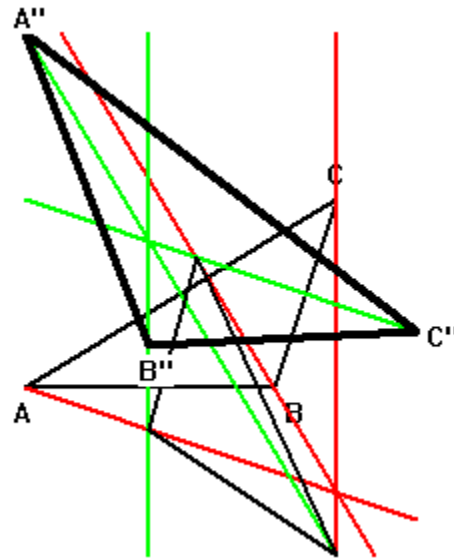
Construct the altitudes **ha**, **hb** and **hc** to sides **a**, **b**, **c** respectively (red) and the perpendicular bisectors **pa**, **pb** and **pc** to sides **a**, **b**, **c** (green):



Let **A'** = **hc** intersect **pb**, **B'** = **ha** intersect **pc** and **C'** = **hb** intersect **pa** yielding a new  $\triangle A'B'C'$  similar to  $\triangle ABC$  as shown on the next page.



Finally, let  $A''$  = reflection of  $A'$  in side  $b$ ,  $B''$  = reflection of  $B'$  in side  $c$  and  $C''$  = reflection of  $C'$  in side  $a$  to obtain yet another similar triangle:



Write a program which takes as input the coordinates of the vertices  $A$ ,  $B$  and  $C$  and outputs the areas of the three triangles.



## Input

Input consists of a single line which contains three, space separated floating point values **Bx**, **Cx**, **Cy** in that order ( $-1.0 \leq Bx, Cx, Cy \leq 10.0$ ).  $\triangle ABC$  will have area at least **1.0**. The coordinates system is chosen so that **A** = (0, 0) is the origin and **B** = (**Bx**, 0) lies on the **X**-axis. **C** = (**Cx**, **Cy**) is arbitrary.

## Output

The output consists of a single line that contains three space separated floating point values to 4 decimal places. Area( $\triangle ABC$ ), Area( $\triangle A'B'C'$ ) and Area( $\triangle A''B''C''$ ) in that order.

Sample 1:

Sample Input	Sample Output
4.0 5.00 3.000	6.0000 4.8750 10.8750