



## H • Non-divisible 2-3 Power Sums

Every positive integer **N** can be written in at least one way as a sum of terms of the form  $(2^a)(3^b)$  where no term in the sum exactly divides any other term in the sum. For example:

$$\begin{aligned} 1 &= (2^0)(3^0) \\ 7 &= (2^2)(3^0) + (2^0)(3^1) \\ 31 &= (2^4)(3^0) + (2^0)(3^2) + (2^1)(3^1) = (2^2) + (3^3) \end{aligned}$$

Note from the example of 31 that the representation is not unique.

Write a program which takes as input a positive integer **N** and outputs a representation of **N** as a sum of terms of the form  $(2^a)(3^b)$ .

### Input

The first line of input contains a single integer **C**, ( $1 \leq C \leq 1000$ ) which is the number of datasets that follow.

Each dataset consists of a single line of input containing a single integer **N**, ( $1 \leq N < 2^{31}$ ), which is the number to be represented as a sum of terms of the form  $(2^a)(3^b)$ .

### Output

For each dataset, the output will be a single line consisting of: The dataset number, a single space, the number of terms in your sum as a decimal integer followed by a single space followed by representations of the terms in the form [**<2 exponent>**,**<3 exponent>**] with terms separated by a single space. **<2 exponent>** is the power of 2 in the term and **<3 exponent>** is the power of 3 in the term.

Sample Input	Sample Output
6	1 1 [0,0]
1	2 2 [2,0] [0,1]
7	3 3 [4,0] [0,2] [1,1]
31	4 1 [5,5]
7776	5 1 [0,12]
531441	6 8 [3,13] [4,12] [2,15] [7,8] [9,6] [0,16] [10,5] [15,2]
123456789	