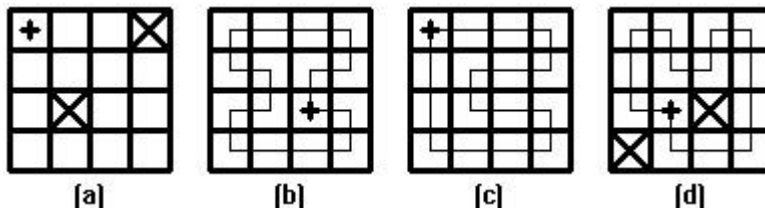




F • Obstructed Rook Circuits

Problem

A *board* is a rectangular array of squares such as on a chessboard, with possibly some squares blocked off. A *rook tour* of a board is a path that visits each empty square of the board exactly once, moving at each step to an empty adjacent square (North, South, East or West but not diagonally). A rook tour is a *rook circuit* if it starts and ends on the same square. In the figures below, let the **+** symbol be the *rook*, and the **X** symbol be an obstruction. The following are descriptions of each figure: (a) is a board with no *rook circuit*, (b) and (c) give *distinct rook circuits* of the same board and (d) gives the *unique* (up to direction) rook circuit of another board.



Write a program, which takes as input the description of a board and either finds a rook circuit or determines that there is no rook circuit.

Input

Input consists of a sequence of board descriptions and starting points. The first line of the input is

Nrows Ncols Nblocks StartX StartY

where *Nrows* is the number of rows in the rectangular array, *Ncols* is the number of columns in the rectangular array, *Nblocks* is the number of blocked off squares on the board and $(StartX, StartY)$ is the position on the board where the path is to start (and end). *StartX* and *StartY* are 0 based (*StartX* ranges from 0 to $Ncols - 1$). Following the first line there are *Nblocks* lines giving the coordinates of the blocked off squares, one per line. The coordinates of these points are 0 based and are of the form *X Y*. The final line of each board description is a blank line.

The last line of the input is line of 5 zeroes.

Output

If there is no rook circuit for the corresponding board, the output is a line “**NO SOLUTION**” followed by a blank line. Otherwise, the output is a sequence of the letters **N**, **S**, **E**, **W** giving the moves from the starting point to traverse a rook circuit and return to the starting point. (**N** indicates moving to the previous row, **S** moving to the next row, **E** moving to the next column and **W** moving to the previous column.) If more than 40 moves are required, the moves will be output 40 to a line (except possibly for the last line). The move output is to be followed by a blank line.



Some Facts:

1. *The Parity Principle.* If we checker the squares of the array black and white (white if $(x+y)$ is even, black if $(x+y)$ is odd), each unit step in a rook circuit must go from a white square to a black square and vice versa. Thus any rook circuit must have the same number of white and black squares. Board (a) above has 8 white and 6 black unblocked squares so cannot have a rook circuit.
2. *The Two Neighbor Principle.* If a square has only two neighbors, then it must be visited via those neighbors. When a circuit gets to one of the neighbors, it must pass next to the two-neighbor square and then to the other neighbor. In board (d), the (0,0), (3, 0), (0, 2), (1,3), (2,3), (3,3) and (3,2) squares each have two neighbors. Thus the path is forced to include (1,0)-(0,0)-(0,1)-(0,2)-(1,2)-(1,3)-(2,3)-(3,3)-(3,2)-(3,1)-(3,0)-(2,0) in either order.
3. *The Cul-de-Sac Principle.* Never draw segments that leave a square with only one exit.
4. *The Early Closing Principle.* Never close a circuit until all squares have been visited.

Example

The first four boards and solutions correspond to the pictures in the figures above. Note that the same board may have several rook circuits. Your program need only find any one (correct) rook circuit.

Input	Output
4 4 2 0 0 1 2 3 0	NO SOLUTION NENWWWSESWSEENW
4 4 0 2 2	EEESWWSEESWWWNNN
4 4 0 0 0	WNESENESSSWWN
4 4 2 1 2 0 3 2 2	EEEEEEESWWWWWSEEEEEESWWWWWSEEEEEESWWWW WWSEEEEEESWWWWWNNNNNNN
8 8 0 0 0	
0 0 0 0 0	